$\qquad$

## Section 7-7: Imaginary and Complex Numbers

## Warm-up:

Solve for $x$. Check for extraneous solutions:

1) $\sqrt{x}=16$
2) $\sqrt[3]{x}-2=4$
3) $\sqrt{x-3}=-8$
4) $6+\sqrt{8-x}=x$

## Imaginary Numbers:

In the set of real numbers, negative numbers do not have square roots...

For example:

However, $\qquad$ were invented so negative numbers could have square roots. What was created was an "imaginary unit" called $\qquad$ .

## Powers of " $i$ ":

| $i=$ | $i^{9}=$ |
| :--- | :--- |
| $i^{2}=$ | $i^{10}=$ |
| $i^{3}=$ | $i^{11}=$ |
| $i^{5}=$ | $i^{12}=$ |
| $i^{6}=$ | $:$ |
| $i^{7}=$ | $i^{56}=$ |
| $i^{8}=$ | $i^{67}=$ |

$>$ What patterns do you see occurring?
$>$ How can we use this pattern to determine the value of $i^{\text {very large power }}$ ?
$\qquad$

## Section 7-7: Imaginary and Complex Numbers

## EXAMPLES:

1.)
2.)
3.)
4)

## Definition:

Imaginary numbers are numbers expressed as $\qquad$ , where

## Multiplying Imaginary Numbers:

CAUTION!!! - Before you multiply you must first: $\qquad$ .
1.)
2.)
3.)
4)
$\qquad$
$\qquad$

## Section 7-7: Imaginary and Complex Numbers

## Complex Numbers:

$\square$
Write in a + bi form:
1.)
2.)
3.)
4)

Add or subtract the following:
1.)
2.)
3.)
4)
[if there is time] Multiply the following:

## RECALL:

1.)
2.)
3.)
4)

