## **Investigation 1**: Is AA a Similarity Shortcut?

1. Draw any triangle ABC.

- 2. Construct a second triangle, DEF; with  $< D \cong < A$  and  $< E \cong < B$ . What will be true about < C and < F? Why?
- 3. Carefully measure the lengths of the sides of both triangles. Compare the ratios of the corresponding sides. Is  $\frac{AB}{DE} \approx \frac{AC}{DF} \approx \frac{BC}{EF}$ ?
- 4. Compare your results with the results of others near you. State your findings as a conjecture:
- 5. What theorem can be used to help prove your conjecture above? Explain.
- 6. What similarity shortcuts do we not have to investigate? Why?

## **Investigation 2**: *Is SSS a similarity Shortcut?*

1. Draw any triangle ABC.

- 2. Construct a second triangle, DEF, Whose side length are a multiple of the original triangle.
- 3. Compare the corresponding angles of the two triangles.
- 4. Compare your results with the results of others near you and state a conjecture.

## **Investigation 3**: Is SAS a Similarity Shortcut?

1. Construct two different triangles that have two pairs of sides proportional and pair of included angles equal in measure. (You may use  $\triangle ABC$  from investigation #2, just construct a new  $\Delta DEF$ )

- 2. Compare the measures of corresponding sides and corresponding angles.
- 3. Share your results with others near you and state a conjecture